



“Synthetic Data in Infrared Thermography for NonDestructive Evaluation”

by

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in collaboration with
François Galmiche and Xavier Maldague

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Computer Vision and Systems Laboratory



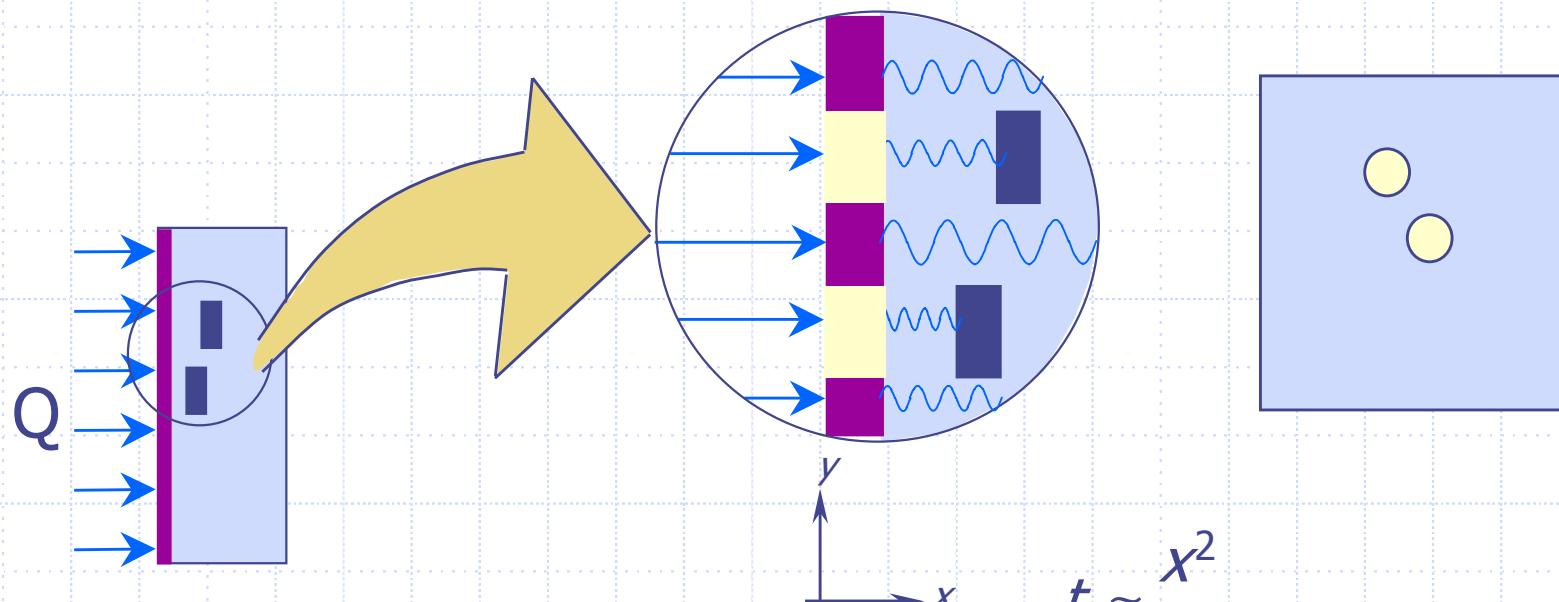
Outline

- ◆ Introduction: IRT for NDE
- ◆ Synthetic Data
- ◆ Experimental Procedures
- ◆ Conclusions & Perspectives



Introduction

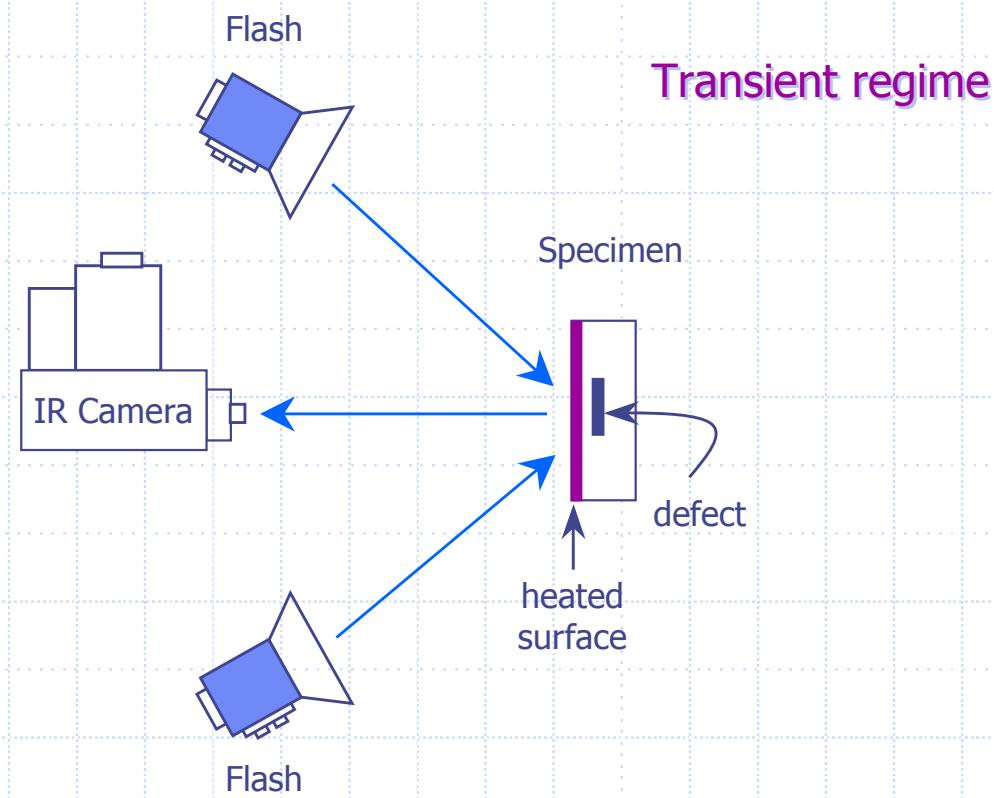
◆ Active Thermography for NDE





Introduction

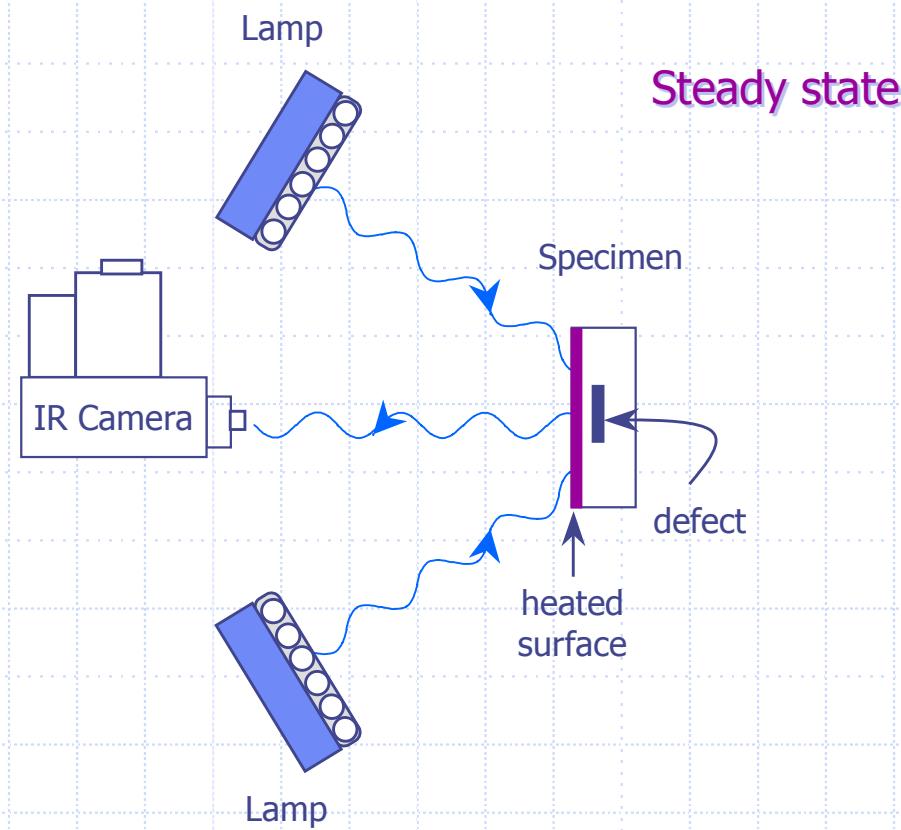
◆ Pulse Thermography, PT





Introduction

◆ Lock-in Thermography, LT





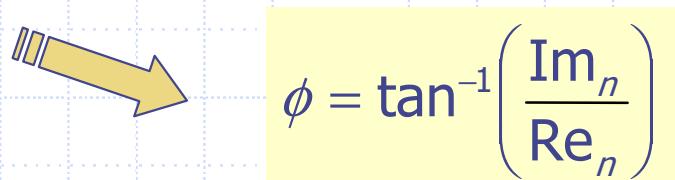
Introduction

◆ Pulsed Phase Thermography, PPT

- Experimental setup as in PT;
- Fourier Transform \Rightarrow frequency domain
- PPT several f (only one f at a time for LT);

$$F_n = \sum T(k) e^{2\pi i k n / N} = \text{Re}_n + \text{Im}_n$$

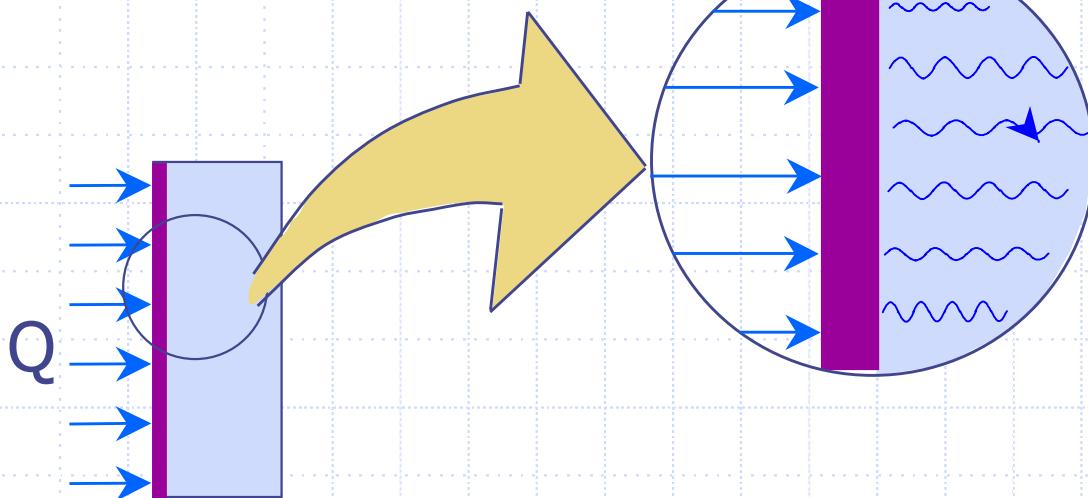

$$A = \sqrt{\text{Re}_n^2 + \text{Im}_n^2}$$


$$\phi = \tan^{-1} \left(\frac{\text{Im}_n}{\text{Re}_n} \right)$$



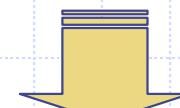
Synthetic Data

- ◆ Semi-infinite plate without defect



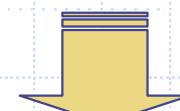
3D diffusion equation

$$\nabla^2 T - \frac{1}{\alpha} \frac{\partial T}{\partial t} = 0$$



1D solution

$$\frac{\partial^2 T}{\partial t^2} - \frac{1}{\alpha} \frac{\partial T}{\partial t} = 0$$

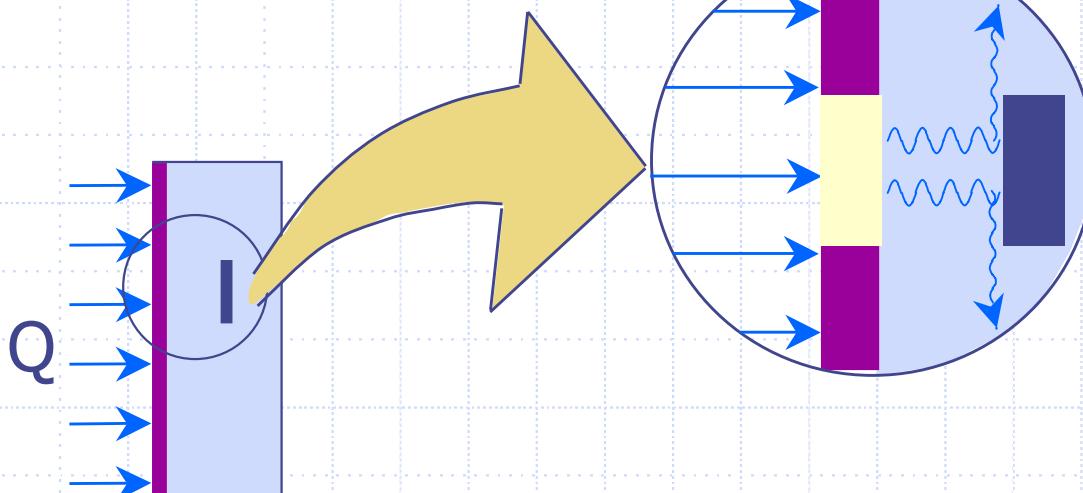


$$T = \frac{Q}{e\sqrt{\pi t}}$$



Synthetic Data

- ◆ Semi-infinite plate with defect



3D diffusion equation

$$\nabla^2 T - \frac{1}{\alpha} \frac{\partial T}{\partial t} = 0$$



2D solution

$$\nabla_{x,y}^2 T - \frac{1}{\alpha} \frac{\partial T}{\partial t} = 0$$

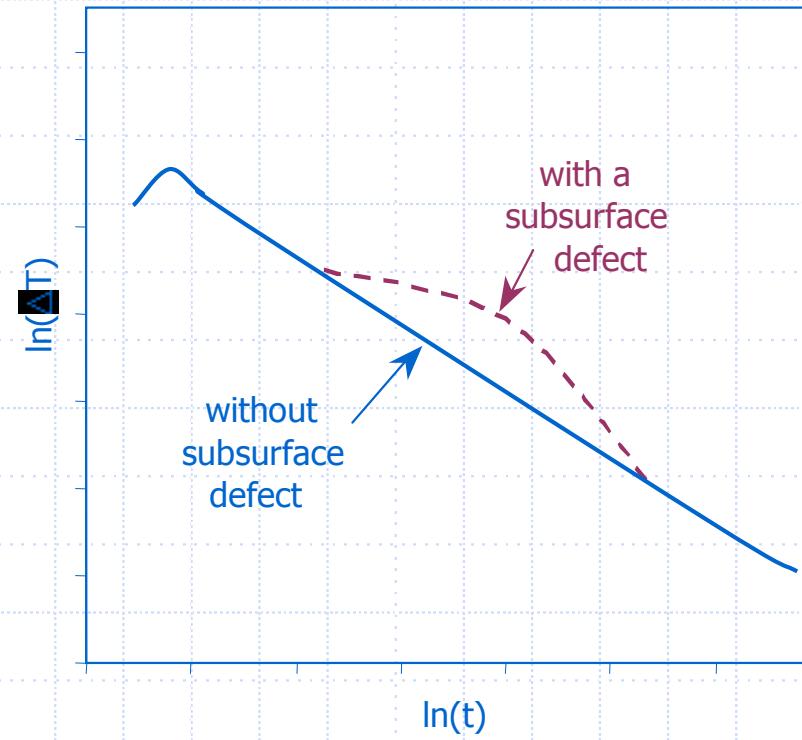


Synthetic Data

◆ Log-Log fitting

$$T = \frac{Q}{e\sqrt{\pi t}}$$

$$\ln T = \ln\left(\frac{Q}{e}\right) - \frac{1}{2}\ln(\pi t)$$





Synthetic Data

◆ Synthetic coefficients

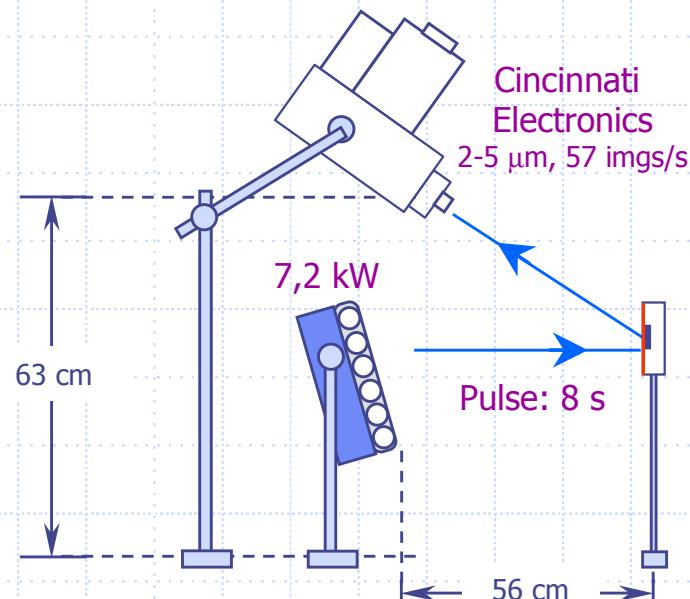
$$\ln T = a_0 + a_1 \ln(t) + a_2 \ln^2(t) + \dots + a_n \ln^n(t)$$

$$T(t) = \exp[a_0 + a_1 \ln(t) + a_2 \ln^2(t) + \dots + a_n \ln^n(t)]$$

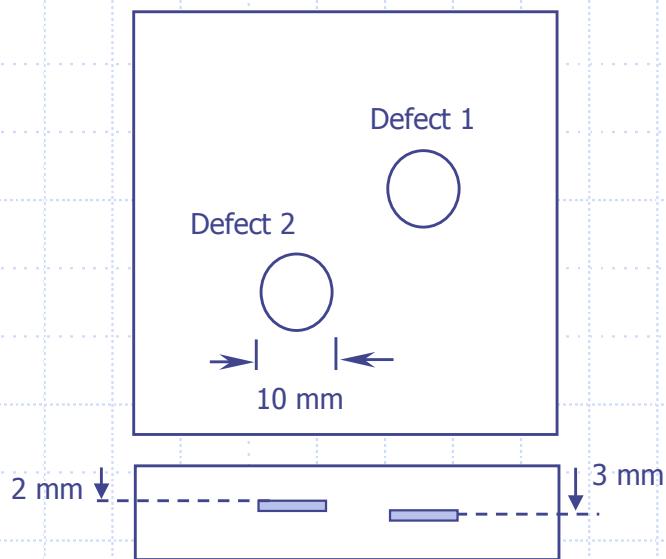


Experimental Results

◆ Case 1: Graphite-epoxy



Graphite-epoxy
with 2 Teflon TM inclusions

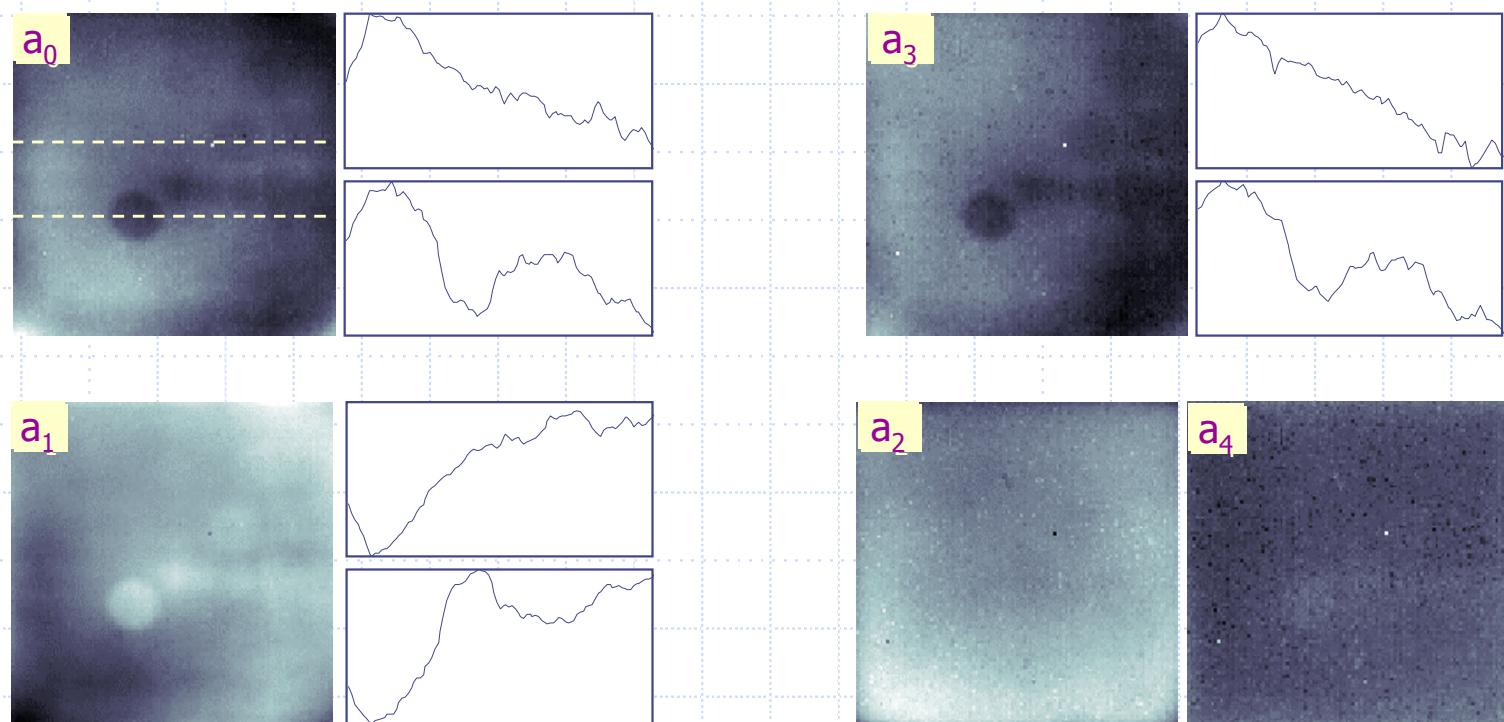




Experimental Results

◆ Raw coefficients

$$T(t) = \exp [a_0 + a_1 \ln(t) + a_2 \ln^2(t) + a_3 \ln^3(t) + a_4 \ln^4(t)]$$

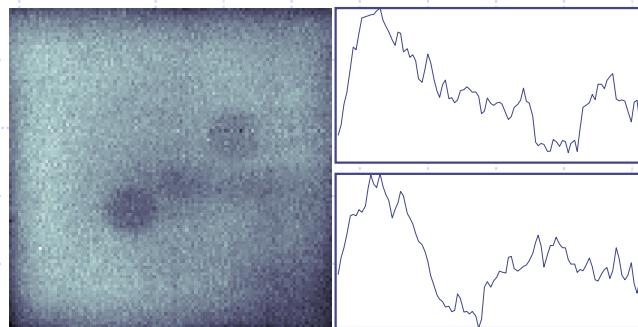




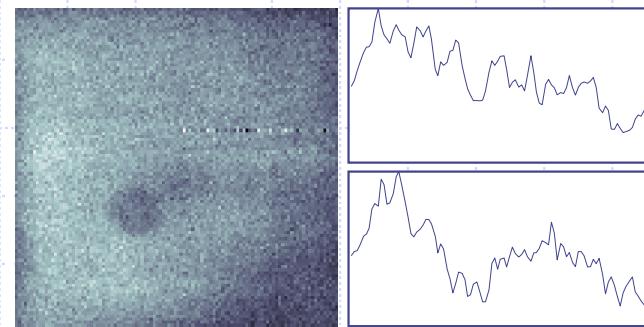
Experimental Results

◆ Direct PPT vs Synthetic PPT

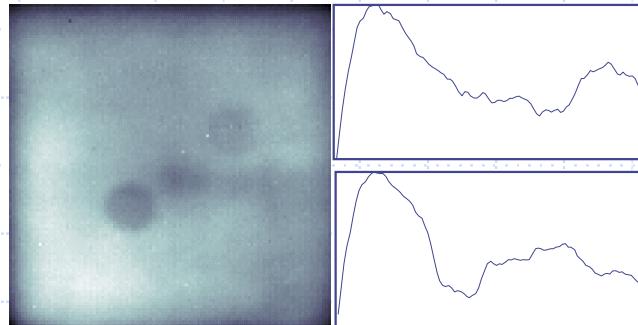
Direct PPT, $f=0.33$ Hz



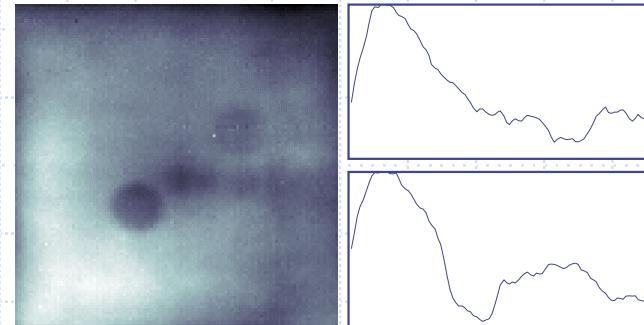
Direct PPT, $f=1.0$ Hz



Synthetic PPT , $f=0.33$ Hz



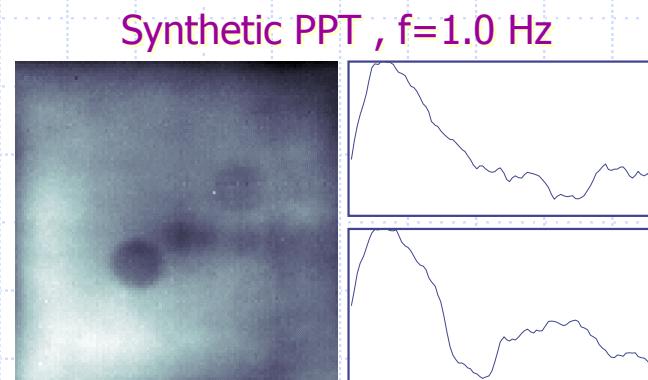
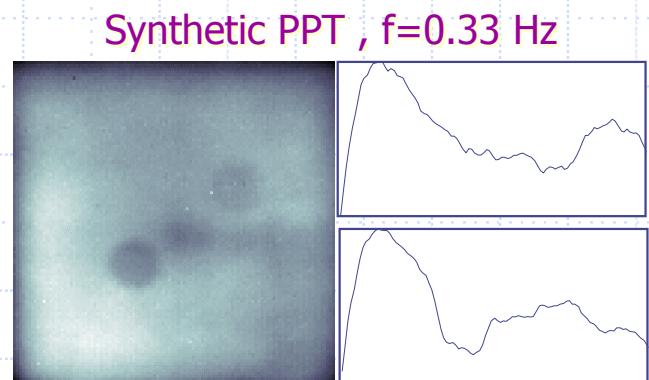
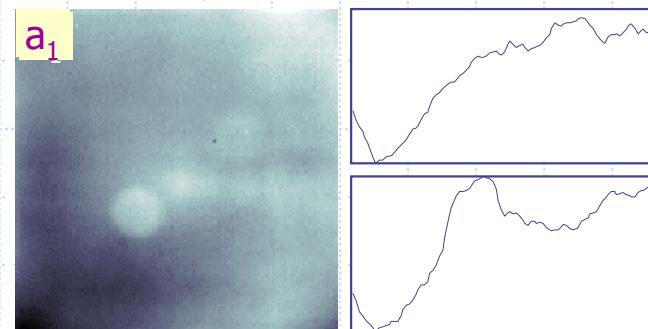
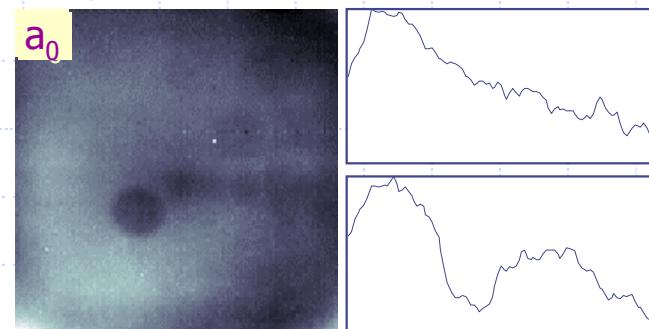
Synthetic PPT , $f=1.0$ Hz





Experimental Results

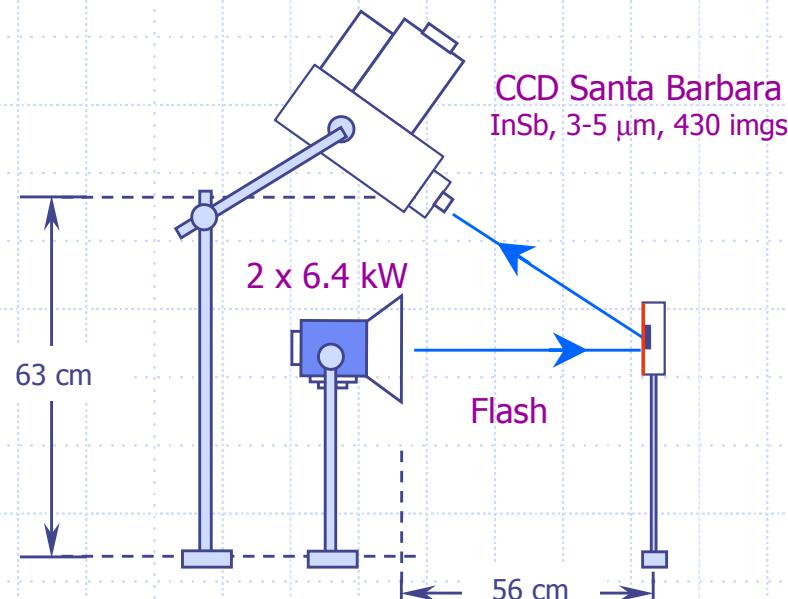
◆ Direct PPT vs Synthetic PPT



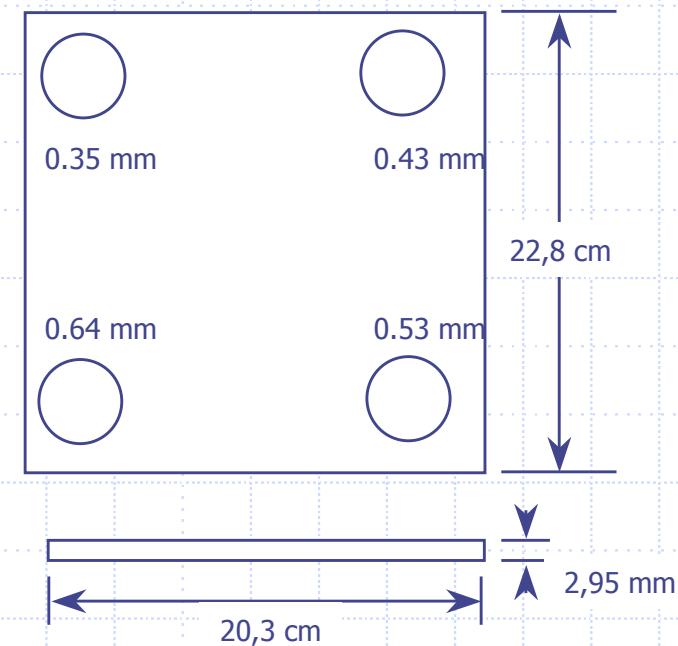


Experimental Results

◆ Case 2: Plexiglas



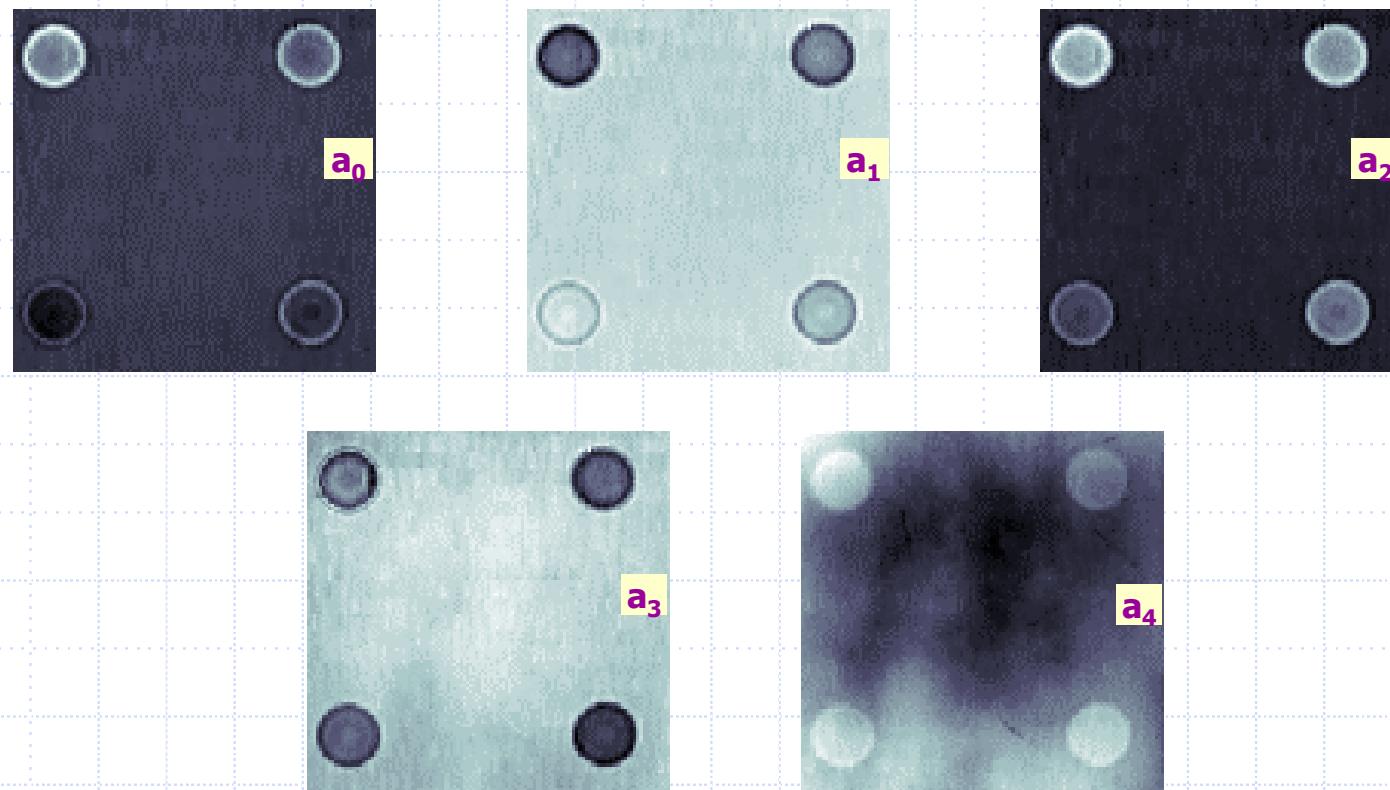
Plexiglas
with 4 air gaps





Experimental Results

◆ Raw coefficients

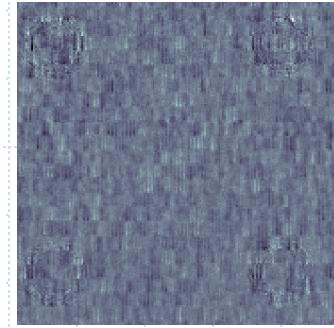
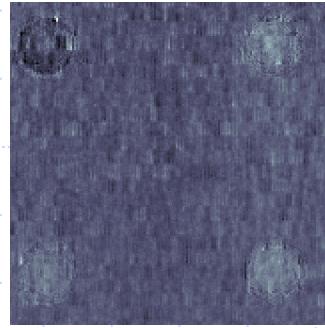
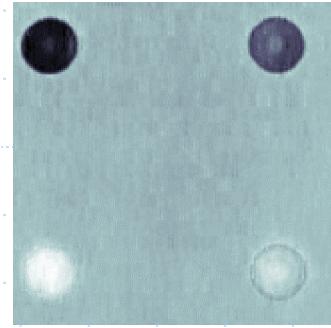




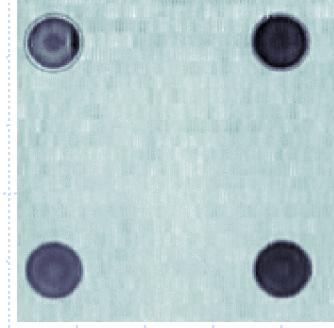
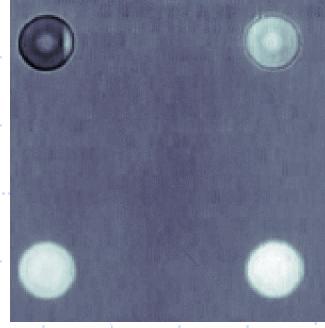
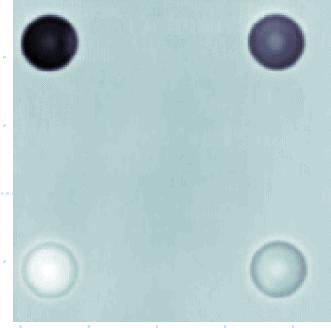
Experimental Results

◆ PPT vs synthetic

Direct PPT



Synthetic PPT



$f=0.2 \text{ Hz}$

$f=0.76 \text{ Hz}$

$f=4.76 \text{ Hz}$



Conclusions & Perspectives

- ✓ Substantial data reduction;
- ✓ Possibility to work with analytical solutions;
- ✓ De-noising;
- ✓ Synthetic PPT images are OK for $f \uparrow$;
- ✗ Further processing of raw coefficients;
- ✗ Optimal polynomial degree;
- ✗ Depth measurement & defect characterization.

Thank you for your attention !

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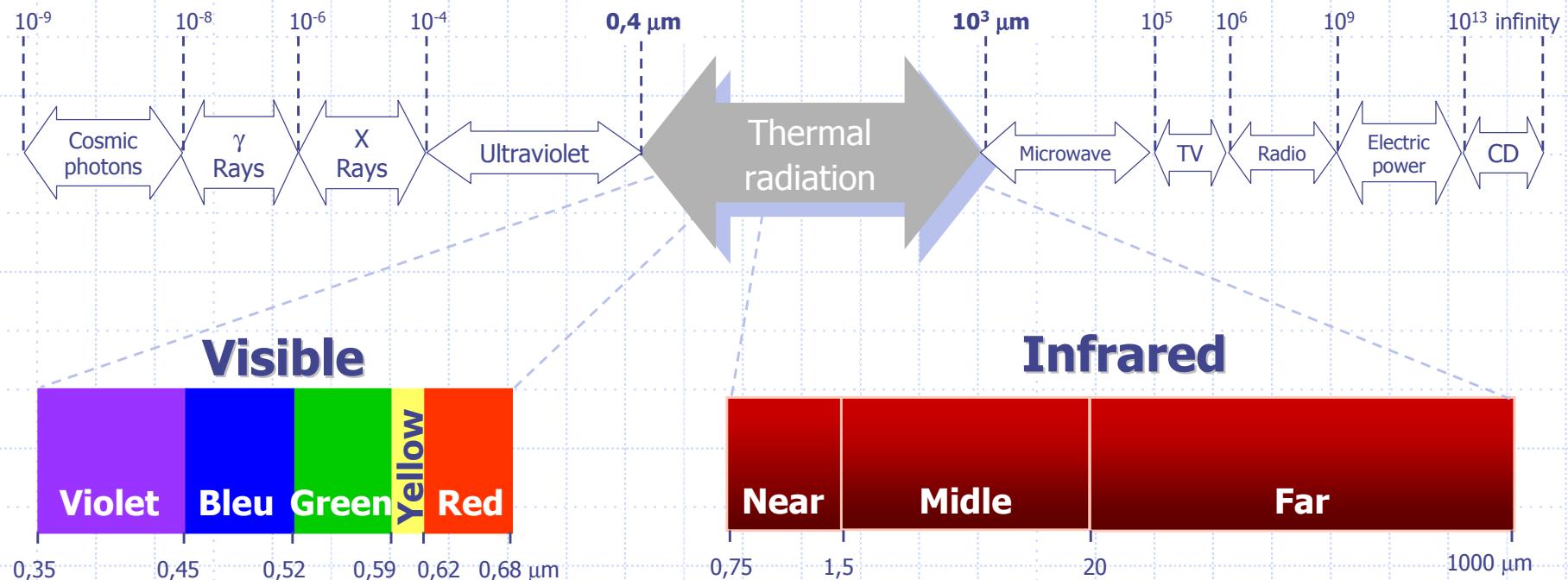


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Annexes

◆ Electromagnetic spectrum





Annexes

◆ Advantages & Limitations

- ✓ Fast surface inspection;
- ✓ Safety (no harmful radiations);
- ✓ Wide range of applications;
- ✓ Ease of deployment;
- ✓ No contact.
- ✗ Non-uniform heating;
- ✗ Specimen shape;
- ✗ Thermal losses;
- ✗ Cost of the equipment;
- ✗ Limited thickness;
- ✗ Emissivity problems.



Annexes

◆ Frequency response

